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ķ	$\int \int \sqrt{x + \sqrt{y}} dx dy$ Integrate[1/(x ⁴ 6+x ²)] $\frac{3}{2}$
	$\beta_{yx}^{2} = \gamma_{yx}^{2} \frac{\sum q_{i}}{\sum x} \frac{\sum q_{o}}{\sum x} \frac{A_{i}}{\sum x} \frac{\sum q_{o}}{\sum x} \frac{A_{i}}{\sum x$
	Written on 08 December 2020 4 minutes of reading
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Better predicting the retraction of a liquid ligament is useful both for IFPEN's research activities and for studies on Covid transmission. Having concluded that the Taylor-Culick velocity was only valid to evaluate the characteristic retraction time for a liquid in an inertial regime, researchers at IFPEN have proposed a velocity that is valid in a viscous regime.

From COVID transmission to liquid jet atomization: where do droplets come into it?

The retraction of a liquid ligament is a generic process involved **in numerous applications** of interest to IFP Energies nouvelles, be it in the atomization of a liquid jet (engine application) or droplet fragmentation in turbulent flows (processes, water treatment).

The final mechanism driving droplet formation is generally the result **of liquid ligament pinch-off** ^[1], a problem also encountered in the COVID-19 pandemic in terms of virus transmission via saliva projections ^[2].

How can liquid retraction be predicted?

The principal challenge in all these applications is to predict whether the liquid will retract in a single spherical entity (its equilibrium shape) or break up into multiple droplets. A simple way of making such a prediction is **to compare the characteristic ligament retraction time with the characteristic time for the appearance of capillary waves** responsible for pinch-off (figure).



Goutte axisymétrique se rétractant. Les contours de vorticité illustrent l'apparition d'ondes capillaires.

The Taylor-Culick velocity, its validity qualified by new research

Until very recently, the characteristic retraction time had been estimated via the so-called Taylor-Culick velocity ^[3,4], whether the liquid was highly viscous or, conversely, highly inertial. IFPEN conducted numerical and theoretical research, with contributions from a post-doctoral researcher and scientific visitor Professor Edson Soares, a specialist in fluid mechanics and the rheological characterization of complex fluids. The research demonstrated that this velocity **was only valid in an inertial regime** and for sufficiently long periods of time.

Viscous regimes: a decreasing retraction velocity over time

Researchers also proposed a self-similar solution - for which the shape of the droplet remains "similar" over time - in viscous regimes. This solution provides a retraction velocity that, unlike the Taylor-Culick velocity, is not constant but **decreases over time**. The ligament can then take an infinite amount of time to relax and return to its equilibrium position!

This research was the subject of two publications ^[5, 6] singled out in the editors' selection.

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Retraction of a liquid ligament in viscous and inertial regimes: research at IFPEN revisits theoretical predictions 08 December 2020

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